### MASTER ECONOMICS INTERNATIONAL TRADE

### ENDOGENOUS MARKUPS



#### FACULTÉ JEAN MONNET DROIT-ÉCONOMIE-GESTION

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### ROADMAP

- 1. Melitz Ottaviano (2008)
- 2. In search of pro-competitive effects



### MELITZ-OTTAVIANO

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#### Market Size, Trade, and Productivity 🕮

Marc J. Melitz, Gianmarco I. P. Ottaviano

The Review of Economic Studies, Volume 75, Issue 1, January 2008, Pages 295–316,



### THE LIMITATIONS OF MELITZ (2003)

#### No pro-competitive effect

In Melitz (2003) trade openness increases average productivity and decreases mean (fob) prices but through a **rationalization effect** 

CES utility function  $\Rightarrow$  constant mark-ups  $\Rightarrow$  fob prices are simple mill prices (cannot change if marginal cost does not change)

#### Market size does not affect the distribution of firms and their performances

Mak-up and firm prices are the same in small and large market



#### THE QUADRATIC UTILITY

We assume a continuum of varieties (i) and a homogeneous numeraire

Utility is:





# THE QUADRATIC UTILITY

We assume a continuum of varieties (i) and an homogeneous numeraire

Utility is:

$$U = q_0^c + \alpha \int_{i \in \Omega} q_i^c di - \frac{1}{2} \gamma \int_{i \in \Omega} (q_i^c)^2 di - \frac{1}{2} \eta \left( \int_{i \in \Omega} q_i^c di \right)^2$$

Describe the substitution pattern between the numeraire and the differentiated good: Increase in  $\alpha$  and/or decrease in  $\eta$  shift out the demand for the differentiated good relative to the numeraire



## THE QUADRATIC UTILITY

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Index the degree of product differentiation between varieties of the differentiated good

If  $\gamma > 0 \Rightarrow$  consumption of each variety has a marginally decreasing impact on welfare  $\Rightarrow$  consumers prefer a diversified consumption Product differentiation increases with  $\gamma$ 



A very large number of varieties may be offered on the market. But not all of them will be.

Let  $\Omega_i^* \subset \Omega_i$  represent the subset of varieties that are produced and consumed.

We note N the number of these varieties and  $Q = \int_{\Omega^*} q_i^c$ 



Max utility (and noting  $\mathbf{Q}^{\mathcal{C}}=\int q_{i}^{\mathcal{C}}$ ) :

$$\frac{\partial \mathcal{L}}{\partial p_i} = \frac{\partial \left[ U - \lambda \left( \int p_i q_i^c - E \right) \right]}{\partial q_i^c} = \alpha - \frac{1}{2} \gamma \times 2q_i^c - \frac{1}{2} \eta \times 2 \times Q^c \times \frac{\partial Q^c}{\partial q_i} - \lambda p_i$$

$$\Rightarrow \alpha - \gamma q_i^c - \eta Q^c - \lambda p_i = 0$$

$$\Rightarrow q_i = \frac{1}{\gamma} (\alpha - \lambda p_i - \eta Q^c)$$

We set 
$$\lambda = 1 \Rightarrow q_i = \frac{1}{\gamma} (\alpha - p_i - \eta Q^c)$$



~

#### We define:

The average sales: 
$$\bar{q} = \frac{\int_{\Omega_j^*} q_i^c}{N} = \frac{Q^c}{N}$$
  
and the average price:  $\bar{p} = \frac{\int_{\Omega_j^*} p_i}{N}$ 

We write: 
$$\overline{q} = \frac{1}{N} \int \left[ \frac{1}{\gamma} (\alpha - p_i - \eta Q^c) \right]$$

And, after simple algebra:

$$\bar{q} = \frac{\alpha - \bar{p}}{\gamma + \eta N}$$



We plug 
$$\overline{q} = \frac{\alpha - \overline{p}}{\gamma + \eta N}$$
 into  $q_i = \frac{1}{\gamma} (\alpha - p_i - \eta Q^c)$  by noting that  $\overline{q} = Q^c / N$ 

And we obtain:

$$q_i^{c} = \frac{\alpha}{\gamma + \eta N} - \frac{p_i}{\gamma} + \frac{\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$$

Larger  $\alpha$  and smaller  $\eta$  = more spending on the differentiated good



We plug 
$$\overline{q} = \frac{\alpha - \overline{p}}{\gamma + \eta N}$$
 into  $q_i = \frac{1}{\gamma} (\alpha - p_i - \eta Q^c)$  by noting that  $\overline{q} = Q^c / N$ 

And we obtain:

$$q_i^c = \frac{\alpha}{\gamma + \eta N} - \frac{p_i}{\gamma} + \frac{\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$$

Crowding out effect: More firms = more competitors = lower individual demand for each variety



We plug 
$$\overline{q} = \frac{\alpha - \overline{p}}{\gamma + \eta N}$$
 into  $q_i = \frac{1}{\gamma} (\alpha - p_i - \eta Q^c)$  by noting that  $\overline{q} = Q^c / N$ 

And we obtain:

$$q_i^c = \frac{\alpha}{\gamma + \eta N} - \frac{p_i}{\gamma} + \frac{\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$$

Higher price = lower demand... but the price elasticity decreases when  $\gamma$  is higher (more differentiation)



We plug 
$$\overline{q} = \frac{\alpha - \overline{p}}{\gamma + \eta N}$$
 into  $q_i = \frac{1}{\gamma} (\alpha - p_i - \eta Q^c)$  by noting that  $\overline{q} = Q^c / N$ 

And we obtain:

$$q_i^c = \frac{\alpha}{\gamma + \eta N} - \frac{p_i}{\gamma} + \frac{\eta N}{\gamma + \eta N'} \frac{\bar{p}}{\gamma}$$

Competition: When the price of competitors is higher, the demand is larger



There are L consumers = the total demand for each variety is:

$$q_i = Lq_i^c = \frac{L\alpha}{\gamma + \eta N} - \frac{Lp_i}{\gamma} + \frac{L\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$$



## CHOKE PRICE

There are many potential varieties but not all will be produced. Only the firms that have positive sales enter the market

Entry condition: 
$$q_i > 0 \Rightarrow \frac{L\alpha}{\gamma + \eta N} - \frac{Lp_i}{\gamma} + \frac{L\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma} > 0$$
  
 $p_i < \frac{\gamma \alpha + \eta N \bar{p}}{\gamma + \eta N} = p_{max}$ 

Tougher competition: N larger  $\overline{p}$  smaller = lower  $p_{max}$  = entry is more selective



Note that the price elasticity:

$$\varepsilon_i = \frac{\partial q_i / \partial p_i}{q_i / p_i} = \frac{1}{p_{max} / p_i - 1}$$

Tougher competition: N larger  $\bar{p}$  smaller = lower  $p_{max}$  = price elasticity is higher Elasticity increases with  $p_i$ 

Important because best firms (with small  $p_i$ ) face a smaller price elasticity = able to set larger mark-ups



### SUPPLY SIDE

Labor is the only factor

The wage is pinned down by the outside good (homogenous + perfect competition + free trade)

In the differentiated sector:

- Firms pay a fixed cost,  $f_E$  , to discover their marginal cost
- Marginal costs, c, are drawn from a distibution G(c) with support  $[0, c_M]$
- Monopolisitc competition = firms take  $\bar{p}$  and N as given



## SUPPLY SIDE.

Profit: 
$$\pi = p_i q_i - cq_i - f_E$$

With: 
$$q_i = Lq_i^c = \frac{L\alpha}{\gamma + \eta N} - \frac{Lp_i}{\gamma} + \frac{L\eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$$

FOC

$$p_{i} \times \frac{\partial q_{i}}{\partial q_{i}} - q_{i} \times \frac{\partial p_{i}}{\partial q_{i}} - c = 0$$
$$p_{i} - \frac{\gamma}{L} q_{i} - c = 0 \implies q_{i} = \frac{L}{\gamma} [p_{i} - c]$$



# SUPPLY SIDE.

We define  $c_D$  the max marginal cost that allows entry

Firm with marginal cost  $c_D$  has a zero-profit and zero sales, i.e. its price is  $p_{max}$ 

Hence,  $p_{max} = c_D$ 



## SUPPLY SIDE.

Combine the 3 following equations: (1)  $q_i = \frac{L}{\gamma} [p_i - c]$ (2)  $p_{max} = c_D = \frac{\gamma \alpha + \eta N \bar{p}}{\gamma + \eta N}$ (3)  $q_i = Lq_i^c = \frac{L\alpha}{\gamma + \eta N} - \frac{L p_i}{\gamma} + \frac{L \eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$ (1) + (3):  $\frac{L}{\gamma} [p_i - c] = \frac{L\alpha}{\gamma + \eta N} - \frac{Lp_i}{\gamma} + \frac{L \eta N}{\gamma + \eta N} \frac{\bar{p}}{\gamma}$ 

Use (2) and get:  $p_i = \frac{1}{2}(c + c_D)$ 



### FIRMS PERFORMANCES

In the same way, we can define all firm-level performances as functions of  $\mathcal{C}_D$ 

$$p(c) = \frac{1}{2} (c_D + c) \qquad \text{prices}$$

$$\mu(c) = p(c) - c = \frac{1}{2} (c_D - c) \qquad \text{markups}$$

$$r(c) = \frac{L}{4\gamma} [(c_D)^2 - c^2] \qquad \text{revenues}$$

$$\pi(c) = \frac{L}{4\gamma} (c_D - c)^2 \qquad \text{profits}$$



### FIRMS PERFORMANCES

$$\begin{split} p(c) &= \frac{1}{2} \left( c_D + c \right) & \text{prices} \\ \mu(c) &= p(c) - c = \frac{1}{2} \left( c_D - c \right) & \text{markups} \\ r(c) &= \frac{L}{4\gamma} \left[ (c_D)^2 - c^2 \right] & \text{revenues} \end{split}$$

$$\pi(\mathbf{c}) = rac{L}{4\gamma} (\mathbf{c}_D - \mathbf{c})^2$$
 profits

Lower cost firms set lower prices and earn higher revenues and profits than firms with higher costs

Contrary to a CES framework, lower cost firms do not pass on all of the cost differential to consumers in the form of lower prices: **they also set higher mark-ups** 



## FREE ENTRY

As in Melitz, firms try to enter the market by paying a fixed cost in oder to discover their marginal cost

As firms enter, profits decrease. Hence, as in Melitz, the free entry condition states that the expected profit equals the fixed cost

$$\int_{0}^{c_{D}} \pi(c) dG(c) = \frac{L}{4\gamma} \int_{0}^{c_{D}} (c_{D} - c)^{2} dG(c) = f_{E},$$

This determines the cutoff  $c_D$ 



### FREE ENTRY

Once we have  $C_D$ , we can compute the number of firms active on the market

$$c_D = \frac{\gamma \alpha + \eta N \bar{p}}{\gamma + \eta N} \Rightarrow N = \frac{2\gamma}{\eta} \frac{\alpha - c_D}{c_D - \bar{c}}$$

Where  $\bar{c}$  is the average marginal cost of surviving firms  $\bar{c} = \frac{\int_{0}^{c_{D}} c \ dG(c)}{G(c_{D})}$ 



### FREE ENTRY

In larger markets, competition is tougher

With higher L:

- 
$$C_D$$
 is smaller (cf.  $\int_{0}^{c_D} \pi(c) dG(c) = \frac{L}{4\gamma} \int_{0}^{c_D} (c_D - c)^2 dG(c) = f_E$ ,

- Number of entrants is higher
- Average price is smaller
- Markups are smaller



To get a value for  $c_D$ , one need and explicit distribution of costs.

Assume a Pareto distribution s

$$G(c) = \left(\frac{c}{c_M}\right)^k, \quad c \in [0, c_M]$$

 $c_M > c_D$  is the max possible cost k indicates the dispersion of cost (= degree of firm heterogeneity)

A k , increases, the share of high cost firms increases



It can be shown that

$$c_D = \left[\frac{2(k+1)(k+2)\gamma (c_M)^k f_{\rm E}}{L}\right]^{1/(k+2)}$$

We confirm here that  $c_D$ 

- decreases with L
- increases with the entry sunk cost
- increases with product differentiation ( $\gamma$ )

From this, we can get all the agregate characteristics of the countries



$$\bar{c} = \frac{k}{k+1}c_D, \qquad \bar{q} = \frac{L}{2\gamma}\frac{1}{k+1}c_D = \frac{(k+2)(c_M)^k}{(c_D)^{k+1}}f_E,$$
$$\bar{p} = \frac{2k+1}{2k+2}c_D, \qquad \bar{r} = \frac{L}{2\gamma}\frac{1}{k+2}(c_D)^2 = \frac{(k+1)(c_M)^k}{(c_D)^k}f_E,$$
$$\bar{\mu} = \frac{1}{2}\frac{1}{k+1}c_D, \qquad \bar{\pi} = f_E\frac{(c_M)^k}{(c_D)^k}.$$



In larger countries (L larger)





-

### PARAMETRIZATION

In larger countries (L larger)

$$\bar{c} = \frac{k}{k+1}c_D, \qquad \bar{q} = \frac{L}{2\nu}\frac{1}{k+1}c_D = \frac{(k+2)(c_M)^k}{(c_D)^{k+1}}f_E,$$
$$\bar{p} = \frac{2k+1}{2k+2}c_D, \qquad \text{Average price is} \ (c_D)^2 = \frac{(k+1)(c_M)^k}{(c_D)^k}f_E,$$

$$\bar{\mu} = \frac{1}{2} \frac{1}{k+1} c_D, \qquad \bar{\pi} = f_{\rm E} \frac{(c_M)}{(c_D)^k}.$$



In larger countries (L larger)

$$\bar{c} = \frac{k}{k+1}c_D, \qquad \bar{q} = \frac{L}{2\gamma}\frac{1}{k+1}c_D = \frac{(k+2)(c_M)^k}{(c_D)^{k+1}}f_E,$$
$$\bar{p} = \frac{2k+1}{2k+2}c_D, \qquad \bar{r} = \frac{L}{2\gamma}\frac{1}{k+2}(c_D)^2 = \frac{(k+1)(c_M)^k}{(c_D)^k}f_E,$$

.

$$\bar{\mu} = \frac{1}{2} \frac{1}{k+1} c_D,$$

Average markups are smaller



In larger countries (L larger)





In larger countries (L larger)



We have here market size effects that are missing in Melitz



## TRADE OPENESS

#### Two countries, H and F, with market size $L^{H}$ and $L^{F}$

Same preferences

Trade cost / segmented markets: the delivered cost to country I (=H,F) is  $\tau^{I}c > c$


## TRADE OPENESS

With segemented markets, firms maximise profits on each markets independently

Hence, all closed economy relations apply

e.g. the choke price on market *l* is:

$$p'_{\max} = rac{lpha \eta + \eta N' ar{p}'}{\eta N' + \gamma}$$



# TRADE OPENNESS — CHOKE PRICES

#### There are now 2 cutoffs:

 $c'_D$  = upper bound cost for firms selling in their domestic market  $c'_{X}$  = upper bound cost for exporters from *l* to the other country, h

$$egin{array}{rcl} c_D' &=& \sup\left\{m{c}:\pi_D'(m{c})>0
ight\}=m{p}_{ ext{max}}'\ m{c}_X' &=& \sup\left\{m{c}:\pi_X'(m{c})>0
ight\}=rac{m{p}_{ ext{max}}^h}{ au^h} \end{array}$$

Hence  $c_X^h = c_D^l / \tau^l$ 

 $= c_X^h$  is lower than  $c_D^l$  = because of the transport cost, it is harder for firms from h to break even on market I relative to domestic producers located in I.



# TRADE OPENNESS — FIRM PERFORMANCES

Similar to the closed economy case, we have the following performances of firms on their export market

2

$$egin{aligned} p_D^{\prime}(c) &=& rac{c_D^{\prime}+c}{2}, \ p_X^{\prime}(c) &=& au^h rac{c_X^{\prime}+c}{2}, \ \pi_D^{\prime}(c) &=& rac{L^{\prime}}{4\gamma} \left(c_D^{\prime}-c
ight)^2, \ \pi_X^{\prime}(c) &=& rac{L^h}{4\gamma} \left( au^h
ight)^2 \left(c_X^{\prime}-c
ight)^2, \end{aligned}$$



# TRADE OPENNESS — FREE ENTRY

With a second market, the free entry condition becomes:

$$\int_{0}^{c_{D}^{l}}\pi_{D}^{l}(c)dG(c)+\int_{0}^{c_{X}^{l}}\pi_{X}^{l}(c)dG(c)-f_{e}=0.$$

In the case of a Pareto distribution, it becomes

$$L^{\prime}\left(c_{D}^{\prime}\right)^{k+2}+L^{h}\left(\tau^{h}\right)^{2}\left(c_{X}^{\prime}\right)^{k+2}=\gamma\phi_{1}$$

with  $\phi \equiv 2(k+1)(k+2)(c_M)^k f_e$ 



# TRADE OPENNESS — FREE ENTRY

$$L^{\prime}\left(c_{D}^{\prime}\right)^{k+2}+L^{h}\left(\tau^{h}\right)^{2}\left(c_{X}^{\prime}\right)^{k+2}=\gamma\phi,$$

Recalling that  $c_X^h = \frac{c_D^l}{\tau^l}$  we can rewrite the free entry condition as:

$$L'\left(c_D'\right)^{k+2} + L^h \rho^h \left(c_D^h\right)^{k+2} = \gamma \phi_{\tau}$$

Where  $ho^{h}\equiv\left( au^{h}
ight)^{-k}$ 



# TRADE OPENNESS — FREE ENTRY

$$L'\left(c_{D}^{\prime}\right)^{k+2}+L^{h}
ho^{h}\left(c_{D}^{h}\right)^{k+2}=\gamma\phi_{A}$$

This relationship hold for the two countries

$$L^{H}\left(c_{D}^{H}\right)^{k+2} + L^{F}\rho^{F}\left(c_{D}^{F}\right)^{k+2} = \gamma\phi$$

$$L^{F}\left(c_{D}^{F}\right)^{k+2}+L^{H}\rho^{H}\left(c_{D}^{H}\right)^{k+2} = \gamma\phi.$$

2 equations, 2 unknown ( $c^{H}_{D}$  and  $c^{F}_{D}$ )



# TRADE OPENNESS — CHOKE COST

Solving the system of equations gives the choke cost in country *I*:

$$c_D' = \left[\frac{\gamma\phi}{L'}\frac{1-\rho^h}{1-\rho^h\rho^l}\right]^{\frac{1}{k+2}}$$

Remember that, in autarky, it was  $c_D = \left[\frac{2(k+1)(k+2)\gamma(c_M)^k f_E}{L}\right]^{1/(k+2)}$ With  $\phi \equiv 2(k+1)(k+2)(c_M)^k f_e$ , we have the autarky choke cost in country *I*:  $c'_{aD} = \left[\frac{\gamma\phi}{L'}\right]^{\frac{1}{k+2}}$ 



# TRADE OPENNESS

Choke cost autarky

$$c_{aD}^{\prime} = \left[rac{\gamma \phi}{L^{\prime}}
ight]^{rac{1}{k+2}}$$

Choke cost trade:

$$c_D^\prime = \left[rac{\gamma \phi}{L^\prime} rac{1-
ho^h}{1-
ho^h 
ho^\prime}
ight]^{rac{1}{k+2}}$$

#### With

$$ho^h \equiv \left( \tau^h \right)^{-k}$$

Let's imagine symmetric trade costs to facilitate the comparison between the two choke costs



# TRADE OPENNESS

$$ho^{h}\equiv\left( au^{h}
ight)^{-k} c_{\mathsf{a}\mathsf{D}}^{\prime}=\left[rac{\gamma\phi}{L^{\prime}}
ight]^{rac{1}{k+2}}$$

If 
$$\tau^h = \tau^l \Rightarrow \rho^h = \rho^l$$

Then 
$$c_D^l = \left[\frac{\gamma\phi}{L^l}\frac{1-\rho}{1-\rho^2}\right]^{\frac{1}{k+2}} = \left[\frac{\gamma\phi}{L^l}\frac{1}{1-\rho}\right]^{\frac{1}{k+2}}$$

$$\text{Autarky} = \ \tau \to \infty \Rightarrow \rho \to 0 \Rightarrow c_D^l \to c_{aD}^l$$

When countries open to trade, au decreases, ho increases and  $c_D^l$  decreases



## TRADE OPENNESS

When countries open to trade,  $c_D^l$  decreases =

- The least productive firms exit = rationalization effect which increases productivity (a la Melitz (2003)
- Average price and markup decrease (pro-competitive effect)
- Number of availlable variety increases





Empirical search of pro-competitive effects



### IMPACT OF TRADE OPENNESS ON MARK-UPS AND PRICES

# ECONOMETRIC SOCIETY

**Original Articles** 

#### Prices, Markups, and Trade Reform

Jan De Loecker 🔀, Pinelopi K. Goldberg 🔀, Amit K. Khandelwal 🔀, Nina Pavcnik 🔀

First published: 21 March 2016 | https://doi.org/10.3982/ECTA11042 | Citations: 296



## IMPACT OF TRADE OPENNESS ON MARK-UPS AND PRICES

#### The paper

- Estimates the impact of trade liberalization on:
  - Costs (through import liberalization for inputs)
  - Markups
  - Prices

Case of the Indian liberalization from 1987 to 2001

#### Contributions

- Technical: new method to estimate jointly markups and marginal cost from production and trade date, taking into account multiproduct firms (not discussed here)
- Economic: provide an assessment of pro-competitive effects



## IMPACT OF TRADE OPENNESS ON MARK-UPS AND PRICES

#### Expected effects of the trade liberalization:

1. Output tariffs cuts = Increased competition = may reduce markup and prices

2. Intermediate tariffs cuts = decreased costs = may reduce prices and increase markups



## DATA

#### **PROWES** data

Firm-level database = traks firms over 1989-2003

#### Key feature of the database:

Provides firm-product-level information (allow identification of multiproduct firms, etc)

Provides details on production in value and quantity for each product

= proxies for prices

= clean assigment of the production and prices to each product



## DATA

#### **Tariff data**

Import tariffs rates for 10-digit goods = aggregated at the industry-level of the industrial classification (about 1,800 industries)

Input tariffs are computed by passing the output tariffs through the Indian input/output tables

(i.e. the input tariff for industry k is the sum of all tariffs weighted by the share of each industry in the total of industry k)



#### TRADE LIBERALIZATION





TABLE IV

MEDIAN OUTPUT ELASTICITIES, BY SECTOR<sup>a</sup>

They exploit the data and structural models to estimate the output elasticites (defining the production function)

Sector	Labor (1)	Materials (2)	Capital (3)	Returns to Scale (4)
15 Food products and beverages	0.12	0.75	0.20	1.09
17 Textiles, apparel	0.11	0.82	0.09	1.02
21 Paper and paper products	0.18	0.79	0.03	0.98
24 Chemicals	0.16	0.79	0.06	1.02
25 Rubber and plastic	0.21	0.75	0.04	1.03
26 Nonmetallic mineral products	0.18	0.69	0.04	0.88
27 Basic metals	0.14	0.78	0.02	0.96
28 Fabricated metal products	0.17	0.75	0.02	0.94
29 Machinery and equipment	0.17	0.75	0.16	1.08
31 Electrical machinery and communications	0.10	0.80	0.01	0.91
34 Motor vehicles, trailers	0.23	0.64	0.10	0.97

<sup>a</sup>Table reports the median output elasticities from the production function. Columns 1–3 report the median estimated output elasticity with respect to each factor of production for the translog production function for all firms. Column 4 reports the median returns to scale.



Mark-ups

TABLE VI

#### MARKUPS, BY SECTOR<sup>a</sup>

	Markups		
Sector	Mean	Mediar	
15 Food products and beverages	1.78	1.15	
17 Textiles, apparel	1.57	1.33	
21 Paper and paper products	1.22	1.21	
24 Chemicals	2.25	1.36	
25 Rubber and plastic	4.52	1.37	
26 Nonmetallic mineral products	4.57	2.27	
27 Basic metals	2.54	1.20	
28 Fabricated metal products	3.70	1.36	
29 Machinery and equipment	2.48	1.34	
31 Electrical machinery and communications	5.66	1.43	
34 Motor vehicles, trailers	4.64	1.39	
Average	2.70	1.34	

<sup>a</sup>Table displays the mean and median markup by sector for the sample 1989–2003. The table trims observations with markups that are above and below the 3rd and 97th percentiles within each sector.



Bigger firms have lower marginal cost

(ok with Melitz)





Bigger firms have bigger markups

(Ok with Melitz-Ottaviano)





How much of the cost is passed into the price?

The log price can be decomposed into its two components, i.e. marginal cost and markup ( $\mu$ ), i.e. (for firm f, producting good j at time t):

(33) 
$$\ln P_{fjt} = \ln mc_{fjt} + \ln \mu_{fjt}.$$

Or equivalently (demeaning the firm markup)

(34) 
$$\ln P_{fjt} = \ln \mu_{fj} + \ln mc_{fjt} + (\ln \mu_{fjt} - \ln \mu_{fj}),$$



How much of the cost is passed into the price?

How would you do estimate that?

They run the following regression (for firm f, producing good j at time t), with  $a_{fj}$  a firm product fixed effect

(35) 
$$\ln P_{fjt} = a_{fj} + \zeta \ln mc_{fjt} + \varepsilon_{fjt},$$

If markups are constant:  $\xi = 1 \Rightarrow$  complete pass-through (all the change of marginal cost is passed through to the consumers)

If markups are variable:  $\xi < 1 \Rightarrow incomplete pass-through$ 



(35)  $\ln P_{fjt} = a_{fj} + \zeta \ln mc_{fjt} + \varepsilon_{fjt},$ 

They suspect endogeneity (i.e. correlation between  $\ln(mc)$  and the error term,  $\varepsilon$ ) because the observed marginal cost is likely to be affected by a systematic measurement error.

 $\Rightarrow \ln(mc)$  is instrumented by the input tariff and lagged marginal cost



## TABLE VIIPASS-THROUGH OF COSTS TO PRICES<sup>a</sup>

 $\ln P_{fit}$ (1)(2)(3)0.337\*\*\* 0.305\*\*\*  $0.406^{\dagger}$  $\ln mc_{fit}$ 0.0410.084 0.247 Observations 12,334 21,246 16,012 Within R-squared 0.27 0.19 0.09 Firm-product FEs yes yes yes Instruments yes yes First-stage *F*-test 98 5

 $\xi$  is significantly less than 1

Incomplete pass-through. Only 30% of the changes in marginal cost is passed intro the prices

<sup>a</sup>The dependent variable is (log) price. Column 1 is an OLS regression on log marginal costs. Column 2 instruments marginal costs with input tariffs and lag marginal costs. Column 3 instruments marginal costs with input tariffs and two-period lag marginal costs. The regressions exclude outliers in the top and bottom 3rd percent of the markup distribution. All regressions include firm–product fixed effects. The regressions use data from 1989–1997. The standard errors are bootstrapped and are clustered at the firm level. Significance: <sup>†</sup>10.1 percent, \*10 percent, \*\*5 percent, \*\*\*1 percent.



First, plot the distribution of prices in 1989 and 1997



Sample only includes firm-product pairs present in 1989 and 1997. Observations are de-meaned by their time average, and outliers above and below the 3rd and 97th percentiles are trimmed.



Now, they estimate how output tariff influenced the prices

(37) 
$$p_{fjt} = \lambda_{fj} + \lambda_{st} + \lambda_1 \tau_{it}^{\text{output}} + \eta_{fjt}.$$

#### TABLE VIII

## $\mathsf{RESULTS}-\mathsf{IMPACT}\;\mathsf{OF}\;\mathsf{TF}$

10 % decrease in output tariff decreases the prices... But not much: by 1.67%

From 1989 to 1997, output tariff decreased by 62%

 $\Rightarrow$  it decreased the prices by 8.4% (=62 x 0.136)

	ln	P <sub>fjt</sub>
	(1)	(2)
$ au_{it}^{ ext{output}}$	0.136** 0.056	0.167*** 0.054
Within <i>R</i> -squared Observations Firm–product FEs Year FEs Sector–year FEs	0.00 21,246 yes yes no	0.02 21,246 yes no yes
Overall impact of trade liberalization	-8.4** 3.4	-10.4*** 3.3

<sup>a</sup>The dependent variable is a firm–product's (log) price. Column 1 includes year fixed effects and Column 2 includes sector–year fixed effects. The regressions exclude outliers in the top and bottom 3rd percent of the markup distribution. All regressions include firm–product fixed effects and use data from 1989–1997. Standard errors are clustered at the industry level. The final row uses the average 62% decline in output tariffs from 1989–1997 to compute the mean and standard error of the impact of trade liberalization on prices. That is, for each column the mean impact is equal to the  $-0.62 \times 100 \times \{\text{coefficient on output tariffs}\}$ . Significance: \*10 percent, \*\*5 percent, \*\*\*1 percent.



They include input tariffs

(38) 
$$p_{fjt} = \lambda_{fj} + \lambda_{st} + \lambda_1 \tau_{it}^{\text{output}} + \lambda_2 \tau_{it}^{\text{input}} + \eta_{fjt}.$$



#### RESUL

TABLE IX

#### PRICES, COSTS, AND MARKUPS AND TARIFFS<sup>a</sup>

		$\ln P_{fjt}$ (1)
Confirms the pro- competitive effect	$ au_{it}^{ ext{output}}$	0.156*** 0.059
Positive as expected, but	$ au_{it}^{ ext{input}}$	0.352 0.302
small and strangely non-	Within <i>R</i> -squared Observations	0.02 21,246
significant	Firm–product FEs Sector–year FEs	yes yes
	Overall impact of trade liberalization	-18.1** 7.4

<sup>a</sup>The dependent variable is noted in the columns. The sum of the coefficients from the markup and marginal costs regression equals their respective coefficient in the price regression. The regressions exclude outliers in the top and bottom 3rd percent of the markup distribution, and include firm–product fixed effects and sector–year fixed effects. The final row uses the average 62% and 24% declines in output and input tariffs from 1989–1997, respectively, to compute the mean and standard error of the impact of trade liberalization on each performance measure.









Sample only includes firm-product pairs present in 1989 and 1997.

Observations are de-meaned by their time average, and outliers above and below the 3rd and 97th percentiles are trimmed.



#### TABLE IX

PRICES, COSTS, AND MARKUPS AND TARIFFS<sup>a</sup>

No pro-competitive effect ‼		$ \frac{\ln P_{fjt}}{(1)} $	$\frac{\ln mc_{fjt}}{(2)}$	$ \ln \mu_{fjt} $ (3)
	$ au_{it}^{ ext{output}}$	0.156*** 0.059	$0.047 \\ 0.084$	0.109 0.076
But small pass through: Decline in input tariff, decreased the marginal cost and the firms absorbed this intro their margins	$ au_{it}^{ ext{input}}$	0.352 0.302	→1.160** 	-0.807 <sup>‡</sup> 0.510
	Within <i>R</i> -squared Observations	0.02 21,246	0.01 21,246	0.01 21,246
	Firm–product FEs Sector–year FEs	yes yes	yes yes	yes yes
	Overall impact of trade liberalization	-18.1** 7.4	-30.7** 13.4	12.6 11.9

<sup>a</sup>The dependent variable is noted in the columns. The sum of the coefficients from the markup and marginal costs regression equals their respective coefficient in the price regression. The regressions exclude outliers in the top and bottom 3rd percent of the markup distribution, and include firm–product fixed effects and sector–year fixed effects. The final row uses the average 62% and 24% declines in output and input tariffs from 1989–1997, respectively, to compute the mean and standard error of the impact of trade liberalization on each performance measure.



Does the result above suggests unambiguously an absence of pro-competitive effect?

Not sure:

- If output tariff influence also the production costs (by boosting competition, firms react by improving their X-efficiency),
- ... then firms may take advantage of this cost reduction to increase their mark-ups

To assess the pro-competitive effect (= impact of the output tariff on markups), one needs to specification that control for marginal costs.



#### TABLE X

**PRO-COMPETITIVE EFFECTS OF OUTPUT TARIFFS**<sup>a</sup>

	$\ln \mu_{fjt}$			
	(1)	(2)	(3)	(4)
$\overline{ au_{it}^{ ext{output}}}$	0.143*** 0.050	0.150** 0.062	0.129** 0.052	0.149** 0.062
$\tau_{it}^{\text{output}} \times \text{Top}_{fp}$			0.314** 0.134	$0.028 \\ 0.150$
Within <i>R</i> -squared	0.59	0.65	0.59	0.65
Observations	21,246	16,012	21,246	16,012
Second-order polynomial of marginal cost	yes	yes	yes	yes
Firm-product FEs	yes	yes	yes	yes
Sector-year FEs	yes	yes	yes	yes
Instruments	no	yes	no	yes
First-stage F-test	_	8.6	_	8.6

All regressions control for marginal costs (and squared of it) – coefs not reported

Columns 2 and 4 use IV for marginal costs

Column 3 interacts the tariff with a dummy = 1 for firms with large markups (in the top 10 of their product)

<sup>a</sup>The dependent variable is (log) markup. All regressions include firm-product fixed effects, sector-year fixed effects and a second-order polynomial of marginal costs (these coefficients are suppressed and available upon request). Columns 2 and 4 instrument the second-order polynomial of marginal costs with second-order polynomial of lag marginal costs and input tariffs. Columns 3 interacts output tariffs and the second-order marginal cost polynomial with an indicator if a firm-product observation was in the top 10 percent of its sector's markup distribution when it first appears in the sample. The regressions exclude outliers in the top and bottom 3rd percent of the markup distribution. The table reports the bootstrapped standard errors that are clustered at the industry level. Significance: \*10 percent, \*\*5 percent, \*\*\*1 percent.



TABLE X

PRO-COMPETITIVE EFFECTS OF OUTPUT TARIFFS<sup>a</sup>



(= decrease their markups more)


#### MORE ON PASS-THOUGH AND MARKUPS?

#### EXHANGE RATE PASS THROUGH



#### HETEROGENEOUS REACTION TO EXCHANGE RATE SHOCKS

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Volume 127, Issue 1 February 2012

How do Different Exporters React to Exchange Rate Changes? Get access >

Nicolas Berman, Philippe Martin, Thierry Mayer

*The Quarterly Journal of Economics*, Volume 127, Issue 1, February 2012, Pages 437–492, https://doi.org/10.1093/qje/qjr057 **Published:** 19 January 2012



# EXCHANGE RATE PASS-THROUGH

Currency appreciation

-Your products are now more expensive abroad

- Do nothing: fob price unchanged / consumer price increase = Complete PT
- Reduce margins: fob price decrease / consumer price increase less = incomplete PT



#### $\mathsf{VARIABLE}\;\mathsf{MARKUPS} \Rightarrow \mathsf{HETEROGENOUS}\;\mathsf{PASS}\mathsf{-}\mathsf{THROUGH}$

Models with heterogenous firms and variable markups:

- Melitz-Ottaviano
- Oligopoly
- Corsetti and Dedola (2005)

Model with destination-specific distribution cost which (i) introduces non-log linear marginal cost (as in Hummels and Skiba), which makes the markup demand on firm-level productivity and (ii) markup depends on the exchange rate because the distribution cost is paid in foreign currency

All predict that more productive firms (i) have larger markup and (ii) have a lower exchange rate pass-through

Intuition = firms with very small markup have no room to decrease it in order to absorb a negative shock



# DATA

French firm-level data:

- Douanes (quantity and values exported, by firm, destination, nc8 product, year)
- Balance sheets (to estimate firm-level TFP)
- Retain non-eurozone destinations only



# DATA

French firm-level data:

- Douanes (quantity an values exported, by firm, destination, nc8 product, year)
- Balance sheets (to estimate firm-level TFP)
- Retain non-eurozone destinations only

- Limitation: TFP is estimated at the firm-level... but firms may produce different products, may not export all of them (and certainly not all of them to all destination), and may even export goods they have not produced



## **PASS-THROUGH ESTIMATES**

They estimate how much of a real exchange rate shock is passed though the foreign consumer, i.e. into the export price

(1) 
$$\ln (UV_{jit}) = \alpha_p \ln (\tilde{\varphi}_{jt-1}) + \beta_p \ln (RER_{it}) + \gamma_p \ln (\tilde{\varphi}_{jt-1}) \\ \times \ln (RER_{it}) + \psi_t + \mu_{ji} + \epsilon_{jit},$$

*RER<sub>it</sub>* is the average real echange rate between France and country *i* during year t (an increase denotes a depreciation of the Euro)

 $\beta_p$  = average pass-through

 $\gamma_p$  = coeff on interaction term, with  $\tilde{\varphi}_{jt-1}$  is the productivity of firm *j*, with one year lag and normalized (= divided by the average sample productivity in t-1)



#### **BASELINE RESULTS** (1)(2)(4)(5)(6) (7)(3)Main Main Firmproduct (val.) product (dest.) Firm level product level Sample Single product Stable mix Single NC4 # observations 355996 429022 364672 489079 858271 2289051 486403 ln unit value Dep. var. Coefficients $\ln \text{TFP}_{t-1}$ Ծ6հ $0.012^{a}$ 0.014<sup>a</sup> $0.012^{a}$ 0.010<sup>a</sup> 0.010<sup>a</sup> Coef = 0.084 (0.004)(33)(0.004)(0.003)(0.002)(0.002)0.084<sup>a</sup> $08^{a}$ In RER $0.097^{a}$ $0.078^{a}$ $0.052^{a}$ $0.124^{a}$ A 10% depreciation 16) (0.019)(0.018)(0.016)(0.017)(0.020) $0.047^{a}$ increases export prices 55<sup>a</sup> $0.040^{a}$ $\ln \text{TFP}_{t-1} \times \ln \text{RER}$ $0.042^{a}$ $0.024^{a}$ $0.023^{a}$ (0.015)by 0.84% **b9**) (0.014)(0.013)(0.009)(0.008) $-0.003^{a}$ rank product (0.000)92% of the exchange rank product rate shock is passed- $\times \ln RER$ $-0.003^{a}$ through the (0.001)consummer change in the effect of RER (%), for mean TFP $\rightarrow$ (firms do not change mean + s.d TFP $8.4 \rightarrow 13.4$ $9.7 \rightarrow 14.1$ $7.8 \rightarrow 12.2$ $\rightarrow 16.4$ $5.2 \rightarrow 7.9 \quad 12.4 \rightarrow 15.2$ their prices much) $1st \rightarrow 5th \ product$ $12.4 \to 11.0$ $12.4 \rightarrow 9.3$ $1st \rightarrow 10th \text{ product}$

TABLE III

	.•
universit	e
PARIS-SACLAY	Ŭ

			BASELINE RESULT	S			
	(1)	(2)	(3)	(4)	(5)	(6)	(7)
Sample # observations	Single product 355996	Main product (val.) 429022	Main product (dest.) 486403	Stable mix 364672	Single NC4 489079	Firm level 858271	Firm- product level 2289051
Dep. var.			ln u	unit value			
			Co	efficients			
$\overline{\ln \mathrm{TFP}_{t-1}}$	$0.012^{a}$ (0.004)	$0.018^{a}$ (0.003)	$0.006^{b}$ (0.003)	$0.014^{a}$ (0.004)	$0.012^{a}$ (0.003)	$0.010^{a}$ (0.002)	$0.010^{a}$ (0.002)
ln RER	0.084 <sup>a</sup> (0.019)	The price increa	se is 108 <sup>a</sup> 016)	0.097 <sup>a</sup> (0.018)	$0.078^{a}$ (0.016)	$0.052^{a}$ (0.017)	$0.124^{a}$ (0.020)
$\ln \mathrm{TFP}_{t-1} \times \ln \mathrm{RER}$	0.047 <sup>a</sup> (0.015)	productive firms	055 <sup>a</sup> 009)	$0.042^{a}$ (0.014)	$0.040^{\mathrm{a}}$ (0.013)	$0.024^{\mathrm{a}}$ (0.009)	$0.023^{\mathrm{a}}$ (0.008)
rank product		more and pass t	hrough				$-0.003^{\mathrm{a}}$ (0.000)
rank product × ln RER							$-0.003^{a}$
mean TFP $\rightarrow$		Firms with	TFP = mean + 1 sd	he effect o	of RER (%), for		(0.001)
$\begin{array}{l} mean + s.d \ TFP \\ 1st \rightarrow 5th \ product \\ 1st \rightarrow 10th \ product \end{array}$	8.4  ightarrow 13.4	1 have a 87%	ó pass-through	9.7  ightarrow 14.7	$1  7.8 \rightarrow 12.2$	5.2  ightarrow 7.9	$\begin{array}{c} 12.4 \rightarrow 15.2 \\ 12.4 \rightarrow 11.0 \\ 12.4 \rightarrow 9.3 \end{array}$

#### TABLE III



#### **PASS-THROUGH ESTIMATES**







**Original Article** 

#### Export Performance, Invoice Currency and Heterogeneous Exchange Rate Pass-through

Richard Fabling, Lynda Sanderson

First published: 21 June 2014 | https://doi.org/10.1111/twec.12198 | Citations: 11

Fabling and Sanderson replicate BMM on New Zeeland data

They have one additional information: the invoicing currency



Table 2:	Invoice cu	rrency s	share o	f trade l	by destination	(TWI	14)	
	Unweighted				Trade-weighted			
	Producer	Local	Ve	hicle	Producer	Local	Vel	nicle
			USD	Other			USD	Other
Australia	0.562	0.405	0.030	<b>↓</b> 0.003	0.396	0.409	0.194	0.001
Canada	0.318	0.391	0.288	0.003	0.072	0.547	0.380	0.001
China	0.235	0.000	0.729	0.036	0.108		0.875	
Eurozone	0.519	0.363	0.109	0.009	0.158	0.655	0.175	-0.011
United Kingdom	0.536	0.400	0.043	0.021	0.198	0.709	0.076	0.018
Hong Kong	0.518	0.015	0.455	0.011	0.236	0.006	0.753	0.004
Indonesia	0.167	0.000	0.829	0.004		0.000	0.934	
Japan	0.458	0.265	0.269	0.009	0.187	0.254	0.554	0.005
South Korea	0.331	0.000	0.665	0.004			0.862	0.001
Malaysia	0.415	0.000	0.578	0.007	0.118	0.000	0.879	0.003
Other (non-TWI14)	0.740	0.022	0.214	0.024	0.163	0.036	0.746	0.054
Singapore	0.542	0.096	0.353	0.009	0.190		0.747	
Thailand	0.322	0.021	0.650	0.008	0.073		0.917	
United States	0.370	0.624	N/A	0.005	0.107	0.892	N/A	0.001
Overall	0.570	0.238	0.179	0.013	0.200	0.332	0.453	0.015

Shares of  $\Delta P_{SR}$  observations. Trade weights based on the NZD-converted average value over t and t - M. ... denotes values suppressed due to Statistics New Zealand confidentiality requirements. Taiwan excluded because necessary macroeconomic data are not available. Other (non-TWI14) countries are pooled.

3 possibility for exporters:

- Invoice in the producer currency (NZ\$ here)
- Invoice in the local (consummer) currency
- Invoice in a vehicle currency (USD mostly)

When NZ firms export to Australia:
56.2% use NZ\$ 40.5% use AUS\$ 3% use US\$



Unweighted

0.562

0.318

0.235

0.519

0.536

0.518

0.167

0.458

0.331

0.415

0.740

0.542

0.322

0.370

0.570

Australia

Eurozone

Hong Kong

South Korea

Other (non-TWI14)

Indonesia

Malaysia

Singapore

Thailand

Overall

United States

Japan

United Kingdom

Canada

China

Producer Local

0.405

0.391

0.000

0.363

0.400

0.015

0.000

0.265

0.000

0.000

0.022

0.096

0.021

0.624

0.238

3 possibility for exporters:

- Invoice in the producer currency (NZ\$ here)
  - Invoice in the local (consummer) currency
- Invoice in a vehicle currency (USD mostly)

But smaller firms use NZ\$ and big ones use US\$

Shares of $\Delta P_{SR}$ observations. Trade weights based on the NZD-converted average value over t an
t - M denotes values suppressed due to Statistics New Zealand confidentiality requirements. Taiwa
excluded because necessary macroeconomic data are not available. Other (non-TWI14) countries ar
pooled.

Table 2: Invoice currency share of trade by destination (TWI14)

USD

0.030

0.288

0.729

0.109

0.043

0.455

0.829

0.269

0.665

0.578

0.214

0.353

0.650

N/A

0.179

Vehicle

Other

0.003

0.003

0.036

0.009

0.021

0.011

0.004

0.009

0.004

0.007

0.024

0.009

0.008

0.005

0.013

Trade-weighted

0.396

0.072

0.108

0.158

0.198

0.236

...

0.187

...

0.118

0.163

0.190

0.073

0.107

0.200

Producer Local

0.409

0.547

...

0.655

0.709

0.006

0.000

0.254

...

0.000

0.036

...

...

0.892

0.332

Vehicle

Other

0.001

0.001

...

0.011

0.018

0.004

...

0.005

0.001

0.003

0.054

...

...

0.001

0.015

USD

0.194

0.380

0.875

0.175

0.076

0.753

0.934

0.554

0.862

0.879

0.746

0.747

0.917

N/A

0.453



They estimate

$$\Delta P_{fcgt} = \beta \Delta e_{ct} + \mathbf{Z}_{cgt} \gamma + \epsilon_{fcgt}, \Delta \in \{\Delta_{SR}, \Delta_{LR}\}$$
(3)

where the log change in NZD-converted unit values within a specific firmcountry-good relationship ( $\Delta P_{fcgt}$ ) is regressed on the cumulative (normalised by M) log difference in the bilateral exchange rate with the destination country ( $\Delta e_{ct}$ ) since the last observed trade, and a set of control variables  $\mathbf{Z}_{cgt}$ . Following Gopinath et al. (2010),  $\mathbf{Z}$  includes destination×HS4-digit product dummies, and log changes in destination country GDP and CPI, and New Zealand CPI (all normalised by M).

 $\beta = 0 \Rightarrow$  Sticky prices = Complete pass-through  $\beta = 1 \Rightarrow$  Zero pass-through



Table 6: Short-run ERPT by invoice currency group							
	(1)	(2)	(3)	(4)			
$\beta$	$0.475^{**}$						
	[0.015]						
$\beta_{non-producer}$		$0.804^{**}$					
		[0.021]					
$\beta_{producer}$		$0.092^{**}$	$0.092^{**}$	$0.086^{**}$			
-		[0.022]	[0.022]	[0.022]			
$\beta_{local}$			$0.909^{**}$	$0.901^{**}$			
			[0.029]	[0.029]			
$\beta_{vehicle}$			$0.700^{**}$				
			[0.029]				
$\beta_{vehicle(p/v)}$				$0.825^{**}$			
				[0.030]			
$\beta_{vehicle(v/l)}$				0.065			
				[0.047]			
$N(\Delta_{SR})$	1,207,100	1,207,100	1,207,100	1,207,100			
Within $\mathbb{R}^2$	0.013	0.013	0.013	0.013			

Regressions include unreported HS4-destination fixed effects and macroeconomic variables as outlined in the main text. Standard errors in brackets (\*\* denotes significance at the 1% level).  $\beta$  coefficients all significantly different from each other at the one percent level with the exception of  $\beta_{producer}$  and  $\beta_{vehicle(v/l)}$  in column 4 (p-value 0.682). Pass-through is quite small compared to BMM 47.5% of the exchange rate shock is

passed into fob prices, i.e. absorbed into exporters' margins





Regressions include unreported HS4-destination fixed effects and macroeconomic variables as outlined in the main text. Standard errors in brackets (\*\* denotes significance at the 1% level).  $\beta$  coefficients all significantly different from each other at the one percent level with the exception of  $\beta_{producer}$  and  $\beta_{vehicle(v/l)}$  in column 4 (p-value 0.682).



They replicate BMM

They do not observe productivity, but use (lag) total export or (lag) number of destinations are measures of firm performance



				Table 9:
Elasticity of prices with respect to			Total	Number of
exchange rate	respect to		exports	countries
exchange rate.		$\beta^0$	0.379**‡	0.377**‡ (
			[0.024]	[0.023]
For small/low-performance firms		$\beta^1$	$0.540^{**}$ ‡	$0.555^{**}$ ‡ (
I			[0.021]	[0.021]
		$N(\Delta_{SR})$	1,029,100	1,029,100 1
For large/high-performance firms		Within $\mathbb{R}^2$	0.014	0.014

Regressions include unreported HS4-destinat denotes significance at the 1% level). ‡ signifi

Results confirm BMM: more performant firms adjust their prices more (have lower pass through



Elasticity of prices with respect to		Total	Number of
exchange rate:		exports	countries
	$\beta_{producer}^{0}$	0.137**†	0.105**
For small/low-performance firms	I I I I I I I I I I I I I I I I I I I	[0.034]	[0.033]
Fax large /high norferrage firms	$\rightarrow \beta_{producer}^1$	$0.045^{+}$	0.070*
For large/high-performance lirms	1	[0.032]	[0.033]
	$\beta_{local}^{0}$	0.885**	$0.938^{**}$
	iocui	[0.046]	[0.046]
	$\beta_{local}^1$	0.913**	0.871**
Within the group of firms invoicing in N7\$	<i>iocai</i>	[0.040]	[0.041]
BMM result is not here anymore	$\beta_{vehicle}^{0}$	0.688**	0.720**
		[0.044]	[0.043]
	$\beta^1_{vehicle}$	0.723**	0.694**
	<i>benieve</i>	[0.041]	[0.042]
	$N(\Delta_{SR})$	1,029,100	1,029,100 1
	Within $\mathbb{R}^2$	0.014	0.014
	D · ·	1 1	



Elasticity of prices with respect to		Total	Number of
exchange rate:		exports	countries
	$\beta_{producer}^{0}$	0.137**†	0.105**
For small/low-performance firms	<u>r</u> · · · · · · · · · · · · · · ·	[0.034]	[0.033]
	$\beta^{1}_{producer}$	$0.045^{+}$	$0.070^{*}$
For large/high-performance firms	Freedore	[0.032]	[0.033]
	$\beta_{local}^{0}$	0.885**	0.938**
		[0.046]	[0.046]
	$\beta_{local}^1$	0.913**	0.871**
	iocui	[0.040]	[0.041]
	$\beta_{vehicle}^{0}$	0.688**	0.720**
Within the group of firms invoicing in		[0.044]	[0.043]
destination country currency	$\beta^1_{vehicle}$	0.723**	0.694**
BMM result is not here anymore		[0.041]	[0.042]
	$N(\Delta_{SR})$	1,029,100	1,029,100 1
	Within $\mathbb{R}^2$	0.014	0.014
	D · ·	1 1	



Elasticity of prices with respect to		Total	Number of
exchange rate:		exports	countries
	$\beta_{producer}^{0}$	$0.137^{**}$ †	0.105**
For small/low-performance firms	<u>r</u> · · · · · · · · · · · · · · ·	[0.034]	[0.033]
	$\beta^1_{producer}$	$0.045^{+}$	$0.070^{*}$
For large/high-performance firms	producer	[0.032]	[0.033]
	$\beta_{local}^0$	0.885**	0.938**
	i i ccui	[0.046]	[0.046]
	$\beta_{local}^1$	0.913**	0.871**
		[0.040]	[0.041]
	$\beta_{vehicle}^{0}$	0.688**	0.720**
Nithin the group of firms invoicing in a		[0.044]	[0.043]
/ehicle country currency	$\beta^1_{vehicle}$	0.723**	0.694**
3MM result is not here anymore		[0.041]	[0.042]
	$N(\Delta_{SR})$	1,029,100	1,029,100 1
	Within $R^2$	0.014	0.014
	<b>D</b> · ·	1 1	



#### THE END